

A MATHEMATICAL MODEL TO PREDICT AND OPTIMISE THE GAS METAL ARC HARDFACED STELLITE 6 WELDBEAD ON LOW CARBON STEEL

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ABSTRACT

This paper comprises an experimental investigation to predict and optimize the parameters of gas metal arc hard facing using Design of Experimental technique. In this investigation a stellite 6 (cobalt chromium alloy) was deposited on the low carbon steel by gas metal arc welding process, weld bead geometry is highly influenced by the process parameters so, it should be optimized to attain a defect free weld. Minitab version 10.0 software was used to develop the mathematical model and to find the optimized gas metal arc welding (GMAW) parameters. The adequacy of the developed models was checked by using Anova technique. Finally, main and interaction effect of process parameters on responses were presented in the graphical form.

Keywords: Gas Metal arc welding, Hardfacing, Design of Experiments, Anova technique.

Introduction

Wear and corrosion are the two major problems in all metallic components. To solve these problems; hardfacing technique was grown considerably in recent years. Hardfacing, one of the surfacing techniques, is the process of applying a layer of wear resistant metal onto the required metal

Wu et al [6] reviewed various cobalt and nickel alloys, their available product forms and the corresponding hardfacing methods. Foroulis [7], compared the wear and corrosion properties of three classes of alloys; Cobalt base alloys, Nickel base alloys and Trib alloys. He presented that alloys T – 400 and ST – 6 exhibits excellent galling resistance in addition to good wear resistance and very good corrosion resistance in a variety of environments. Nickel base alloys generally have inferior galling resistance. Jong-Ning Aoh et al [8] assert that the stellite 6 with approximate composition of Co-28Cr-4.3W1.1 (wt. %) was the most used widely because of its good wear and corrosion resistance and especially its good weldability to different steels. He predicted that carbon had the greatest influence on the microstructure of stellite 6. It combines with chromium to form very hard carbides, which are responsible for the high room temperature hardness.

Tungsten is indispensable to ensure that the alloys retain high hardness at elevated temperatures. The tungsten addition must be higher in high carbon alloys than in low carbon ones, since any carbon that does not combine with the chromium will combine with some of the tungsten and cobalt in the solid solution to form carbides of the η -Co₃W₃C type and it is the tungsten

that remains in solid solution, which appears to be responsible for the high temperature properties of the alloys.

Grainger [1] presented the history, composition and properties, deposition of hardfacing, hardfacing applications and problems in hardfacing of cobalt based alloys. He also reported that the stellite 6 alloys, in addition of being in stainless steel, are non-toxic and are safely used for food processing industries in the human body. Nadkarni [9] stated alloy rods can be deposited easily by oxyacetylene or gas metal arc welding. For small jobs of low carbon metals upto 0.40% carbon preheating is not required. Although there is no pickup of carbon the hardness of the deposit is affected, as the base metal dilution is higher. DC current with reverse polarity is preferable, as it is more stable. Cobalt base alloys contain carbon, chromium, tungsten, silicon, nickel, molybdenum and iron.

Welding is one the major hardfacing technique and it has been widely used in fabrication industry. Various welding processes can be employed for hardfacing; among those, gas metal arc welding and plasma transferred arc welding processes are widely used in industries. When compare to plasma transferred arc welding the gas metal arc welding process has many advantages like superior quality of weld, high accuracy and low equipment cost and ease control [2] because heat input in the plasma transferred arc welding is considerably more so it may lead to the recrystallization of the base metal and promotes the service failure of the component. For this reason, most of the industries have been using gas metal arc welding process for hardfacing. Defect free deposit can be made without preheating by gas metal arc welding process [3] and argon

gas can be used as shielding gas for gas metal arc welding process [4]. In this weld bead geometry is highly influenced by the gas metal arc welding process parameters so, it should be optimized to attain a defect free weld

Plan of investigation

This research work was planned to carry out in the following steps:

1. Identifying the important process parameters and their working range
2. Developing the design matrix
3. Conducting the experiments according to the design matrix and Recording the responses
4. Developing the mathematical models and calculating the model coefficient
5. Testing the adequacy of models
6. Presenting the main and interaction effects of process parameters in graphical form.
7. Optimization and conclusion.

Identifying the of important and independent process parameter and their working ranges

Based on the impact on weld bead geometry, ease of control and capability of being maintained at the desired level, three independently controllable GMAW process parameters were identified namely, welding current (I), the filler rod feed rate (F), and the welding speed (S). The experiment was conducted to deposit a single layer of stellite 6 (cobalt chromium alloy) on low carbon steel keeping electrode negative. Trial runs were conducted by varying one of the process parameters at a time while keeping the rest of them at constant values [7, 10]. The working range was fixed by inspecting the bead for a smooth appearance and the

absence of visible defects. The upper and lower limits were coded as 1 and 5 respectively and shown in Table.1 the coded values for intermediate values are calculated by the following equation:

$$X_i = 2\{2X - (X_{\max} - X_{\min})\} / (X_{\max} - X_{\min})$$

Where,

X_i = required code value of a variable X

X = any value of the variable from X_{\max} to X_{\min}

X_{\min} = the lowest level of the variable

X_{\max} = the upper level of the variable

Table.1 Ranges and Levels of Control Parameters.

Parameter	Units	Notation	Factor level				
			1	2	3	4	5
Welding current	Amps	I	2 2 5	21 7.7	2 1 0	20 2.2	1 9 5
Welding speed	Cm/min	S	2 8	27. 04	2 6	24. 96	2 4
Filler rod feed rate	Cm/min	F	1 5	14. 51	1 4	13. 48	1 3

Developing the design matrix

Factorial designs are most frequently employed in engineering and manufacturing experiments. Factorial design is appropriate when several factors are to be investigated at two or more levels and interaction effects are important. Several factors are

investigated at several levels by running all combinations of factors and levels. The direct and interaction effects were estimated independently; Minitab version 10.0 was used to develop the design matrix; selected matrix is three factors five level factorial designs consist of 25 experimental runs as detailed below [9, 11]:

1. Complete $2k$ factorial design, k is number of factors which are called as the factorial portion of the design.
2. For three factors the factorial portion is $2^3 = 8$.
3. Center points ($n_0 \geq 1$) = 11.
4. Two axial points on the axis of each design variable i.e. Minimum and maximum, for three factors (3×2) = 6.
5. The total number of design points is thus, $2k + 2k + n_0 = 25$.

The responses are dilution (D), Penetration (P), reinforcement (R) and bead width (W). Five levels of each parameter were used in the experimental design. The coded forms are used to represent the actual values of the process parameters or factors. Tabel.2 shows the developed design matrix.

Conducting the experiments according to the design matrix and Recording the responses

stellite 6 filler rod of 2.15 mm diameter and 500 mm in length was used for depositing stellite 6 on valve seat rings having 50 mm outer diameter, 36 mm inner diameter and 30 mm thickness. The experiments were conducted as per design matrix at random, to avoid the possibility of systematic errors infiltrating into the system. The welded specimens were obtained by cutting hardfaced seat rings radially by

Electro Discharge Machining (EDM) process. The weld bead profiles were traced using a reflective type profile projector and the bead dimensions were measured with the assistance of optical profile projector, digital planimeter. The observed values of P, R, W and the calculated values of dilution percentage are shown in Table.2 along with the design matrix.

Table.2 Design Matrix and Bead Dimensions

Trial No.	Process variables			Bead parameters			
	I	F	S	P	R	W	D %
01	1	1	1	0.35 2	2.72 1	12.4 82	11.4 55
02	1	2	2	0.31 3	2.84 5	12.3 56	9.91 1
03	1	3	3	0.19 4	2.63 1	12.4 59	6.86 7
04	1	4	4	0.33 3	2.54 2	11.5 21	11.5 83
05	1	5	5	0.25 2	2.75 4	10.8 92	8.38 3
06	2	1	2	0.28 3	2.83 1	10.5 61	9.08 8
07	2	2	3	0.32 3	2.92	11.3 21	9.96
08	2	3	4	0.23 2	2.78 5	10.2 54	7.69
09	2	4	5	0.21 8	2.76 5	11.2 65	7.30 8
10	2	5	1	0.34 5	2.54 2	12.3 69	11.9 5
11	3	1	3	0.27 1	2.42 6	11.3 58	10.0 48
12	3	2	4	0.32 5	2.34 5	12.3 57	12.1 72
13	3	3	5	0.25 1	2.15 9	10.3 54	10.4 15
14	3	4	1	0.26	2.35	12.3	10.2

				8	7	59	1
15	3	5	2	0.37 1	2.52 6	12.6 58	12.8 06
16	4	1	4	0.38 4	2.42	10.9 56	13.6 95
17	4	2	5	0.42 1	2.33 8	10.8 65	15.2 59
18	4	3	1	0.18 2	2.62 5	10.8 59	6.48 4
19	4	4	2	0.37 6	2.71 5	10.3 67	12.1 64
20	4	5	3	0.28 2	2.78	12.3 56	9.21
21	5	1	5	0.26 1	2.89 1	11.9 56	8.28
22	5	2	1	0.24 2	2.56 2	10.2 68	8.63 1
23	5	3	2	0.32 5	2.65 3	11.6 59	10.9 3
24	5	4	3	0.32 1	2.56 9	12.3 56	11.1 07
25	5	5	4	0.33 3	2.34 6	12.8 34	12.4 3

Developing the mathematical models and model coefficients

The response function representing any weld bead dimension can be expressed as,

$$Y = f(I, S, F)$$

Where, Y = Response function.

b_0, b_i = Regression co-efficient.

X_i = Parameters or variables

k

$$Y = b_0 + \sum_{i=1}^k b_i X_i$$

For three factors the selected polynomial (regression) equation could be expressed as:

$$Y = b_0 + b_1 I + b_2 S + b_3 F$$

The values of the regression coefficient give an idea to what extent the control variables affect the responses quantitatively. The values of the co-efficient of the polynomial were calculated by regression method using Minitab version 10.0 software packages. The regression coefficient are presented in Table.3

Table.3 Regression Coefficients

Coefficient	Value			
	P	R	W	%D
b ₀	0.1397 93	4.4756 22	10.726 47	- 2.3823 8
b ₁	0.0008 43	- 0.0047 8	- 0.0040 4	- 0.0443 77
b ₂	- 0.0002 6	- 0.0143 6	0.1723 88	0.0351 75
b ₃	- 0.0007 8	- 0.0345	- 0.1932 9	0.1723 77

The final mathematical models as determined by the above analysis are presented below:

$$\text{Penetration (P) mm} = 0.139793 + 0.000843 \times I - 0.00026 \times S - 0.00078 \times F$$

$$\text{Reinforcement (R) mm} = 4.475622 - 0.00478 \times I - 0.01436 \times S - 0.0345 \times F$$

$$\text{Bead width (W) mm} = 10.72647 - 0.00404 \times I + 0.172388 \times S - 0.19329 \times F$$

$$\text{Dilution (D) \%} = -2.38238 - 0.044377 \times I + 0.035175 \times S + 0.172377 \times F$$

Testing the adequacy of models

The adequacies of the models were tested using the analysis of variance technique (ANOVA). According to this technique, if the calculated F value exceeds the standard tabulated value of the F for a desired level of confidence (say 95%), then the model can be considered as adequate. The results of Anova technique are presented in Table.4

Table.4 Anova Results

Be ad Pa ra me ter	Sum of Square		Degree of freedom		Cal cul ate d F- val ue	Ta bul ate d F- val ue	Re ma rks
	Re gre ssio n	Re sid ua l	Re gre ssio n	Re sid ua l			
P	0.002	0.088	3	21	0.922	0.159	Sig nifi can t
R	0.096	0.882	3	21	0.780	0.765	Sig nifi can t
W	0.738	0.737	3	21	0.411	0.380	Sig nifi can t
% D	2.050	5.245	3	21	0.760	0.590	Sig nifi can t

Direct Effects of Process Parameter on Bead Geometry

The direct effects of process parameters on bead geometry were presented in Fig.1-3 It is clear from Fig.1 that penetration and percentage of dilution increases with increases of welding current, keeping the other variables constant. This is

due to the fact that the increase in welding current resulting in enhanced heat input, causing large volume of the base metal to melt and hence deeper penetration and more dilution. Reinforcement and bead width are not significantly affected by welding current.

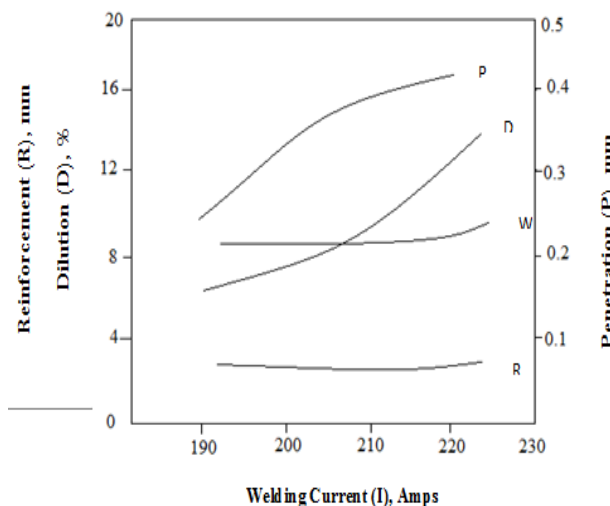


Fig.1 Direct effect of Welding current on bead parameters

Fig.2 depicts dilution decrease with increases of feed rate at the same time bead width increases. This is due to the fact that maximum heat input is utilized for melting the filler rod and less melting of base metal.

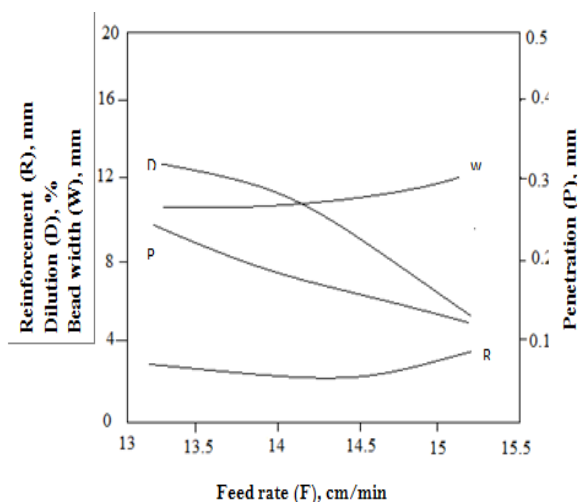


Fig.2 Direct effects of Feed rate on bead parameters

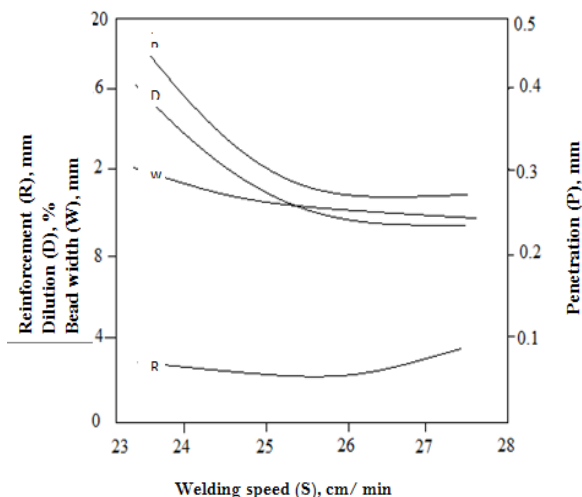


Fig 7.3 Direct effect of welding speed on bead parameters

From Fig.3 reinforcement decreases slightly with the increases of welding speed, also penetration, dilution and bead width initially with the increase in welding speed. Less melting of base metal and filler rod is taking place while increasing welding current.

Interaction Effects of Process Parameters on Bead Geometry

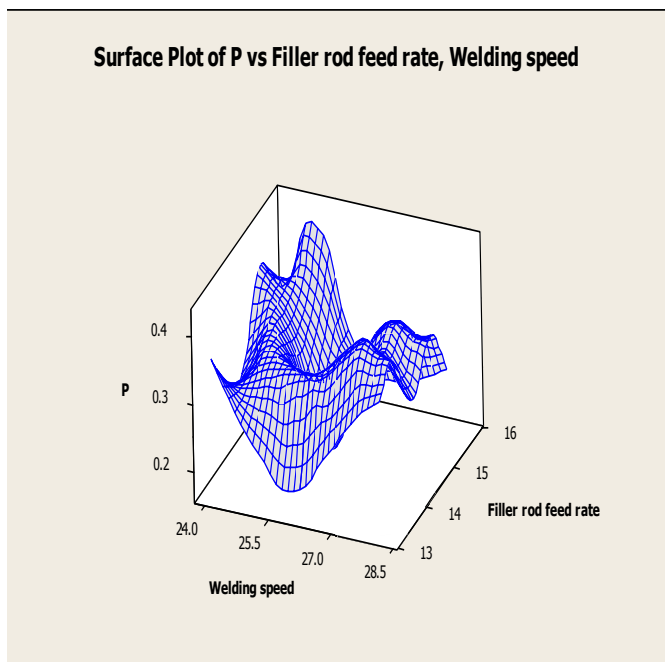


Fig.4 Interaction Effect of F and S on Penetration

It is clear from Fig.4 that penetration (P) increases in its surface plot for an increase in filler rod feed rate (F) with decreases in welding speed (S) however when the welding speed increases the penetration (P) reaches its minimum

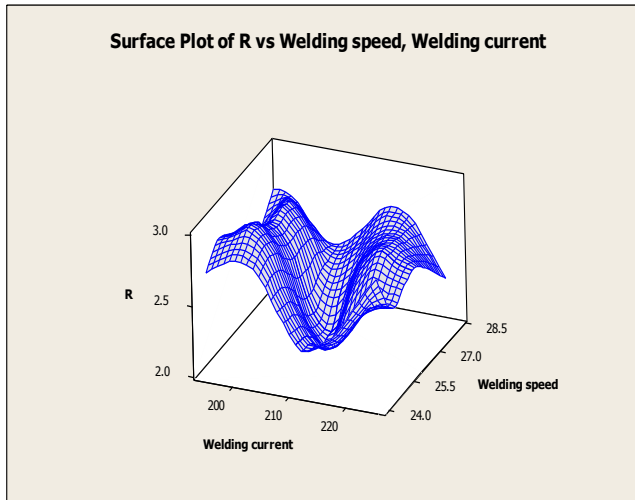
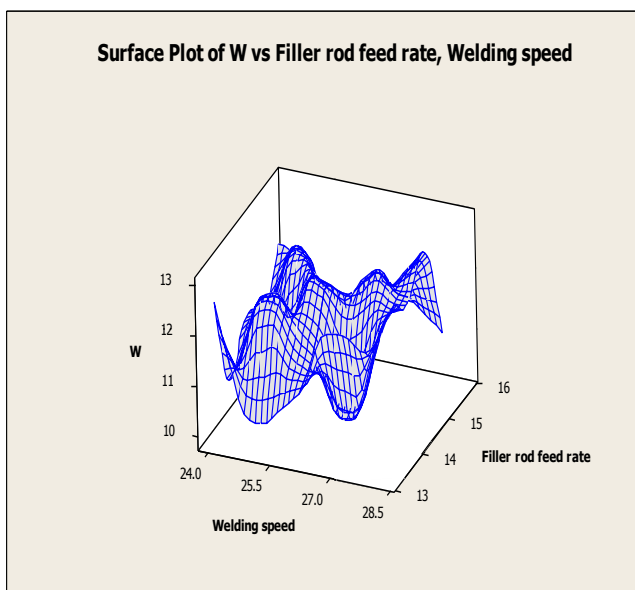


Fig.5 Interaction Effect of I and S on Reinforcement

It is evident from Fig.5 reinforcement (R) reaches maximum when the welding current (I) and welding speed (S) is at minimum condition. However while increase in welding current (I) the reinforcement (R) decreases suddenly and increases slightly upto some extend.



With reference of Fig.6 the bead width, W decreases to its minimum when the Filler rod feed rate, F is at maximum and reaches to its maximum when the filler rod feed rate is maximum.

Fig.6 Interaction Effect of F and S on Bead Width

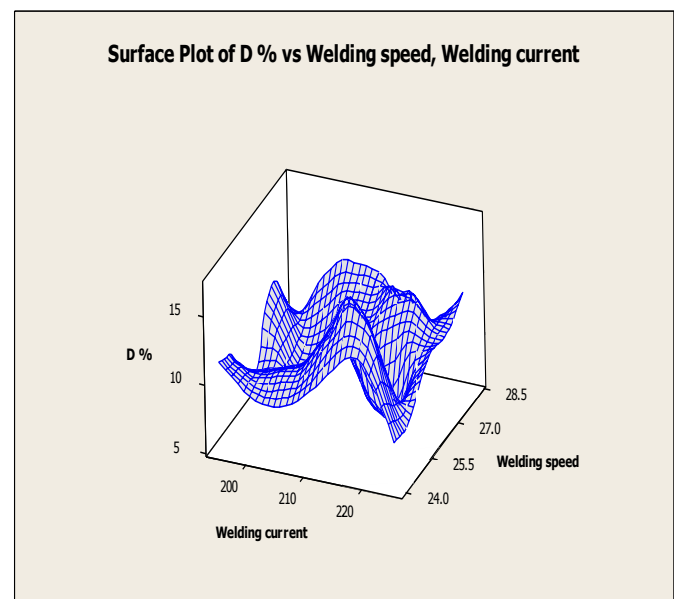


Fig.7 Interaction Effect of S and I on Dilution

It is evident from Fig.7 the Dilution value, D reaches its maximum with an increase in Welding current, I to the optimum value this is due to the fact that more heat energy is consumed by base metal and dilution decreases when welding speed is minimum.

Optimization and conclusion

Minimization of bead geometry was the main purpose of the present study while keeping in mind other important bead parameters within their constraints. This was done to retain the metallurgical properties of the deposited metal. The optimization model is a non-linear equation with constraints (the codes for minimizing the dilution was derived from the self-generated optimization

module of Microsoft Word software package version 2007). The objective function selected for optimization was the percentage of dilution. The constraints of the equation were penetration, reinforcement, width and total area.

An optimization routine algorithm available from Microsoft Excel Software version 2007 was invoked. The lower boundary limits was set to variables as 5, 5, 5. The upper boundary limits was set to variables as 1, 1, 1. For these parameters values, the optimum values of the process parameters and their corresponding bead geometry obtained were:

Welding Current, (I) = 217 Amp

Welding Speed, (S) = 24.93 cm/min

Filler rod feed rate, (F) = 15.10 cm/min

Penetration (P) = 0.268 mm

Reinforcement (R) = 2.751 mm

Bead width (W) = 11.523 mm

Dilution % (D) = 9.413 mm

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